

Supplementary Material

Estimating use-dependent synaptic gain in autonomic ganglia by
computational simulation and dynamic-clamp analysis

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4 text pages

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MODELED CURRENTS

Six ionic currents were used to model the sympathetic B neuron. The equations listed below describe their kinetics and follow from previous work (Yamada et al. 1989; Schobesberger et al. 2000).

Nicotinic synaptic current

$$I_{\text{syn}}(V, t) = g_{\text{syn}}(t) (V - E_{\text{syn}})$$

$$g_{\text{syn}}(t) = [-\exp\{-(t - t_0) / 1\} + \exp\{-(t - t_0) / 5\}] / 0.534985 \quad (\text{EPSP waveform})$$

Fast inactivating sodium current

$$I_{\text{Na}}(V, t) = \bar{g}_{\text{Na}} m^2(V, t) h(V, t) (V - E_{\text{Na}})$$

$$dm(V, t)/dt = [m_{\infty}(V) - m(V, t)] / \tau_m(V) \quad (\text{activation variable})$$

$$m_{\infty}(V) = \alpha_m(V) / [\alpha_m(V) + \beta_m(V)] \quad (\text{steady-state})$$

$$\tau_m(V) = 2 / [\alpha_m(V) + \beta_m(V)] \quad (\text{time constant})$$

$$\alpha_m(V) = [0.36 (V + 33)] / [1 - \exp\{-(V + 33) / 3\}] \quad (\text{forward rate})$$

$$\beta_m(V) = [-0.4 (V + 42)] / [1 - \exp\{(V + 42) / 20\}] \quad (\text{backward rate})$$

$$dh(V, t)/dt = [h_{\infty}(V) - h(V, t)] / \tau_h(V) \quad (\text{inactivation variable})$$

$$h_{\infty}(V) = \alpha_h(V) / [\alpha_h(V) + \beta_h(V)]$$

$$\tau_h(V) = 2 / [\alpha_h(V) + \beta_h(V)]$$

$$\alpha_h(V) = [-0.1 (V + 55)] / [1 - \exp\{(V + 55) / 6\}]$$

$$\beta_h(V) = 4.5 / [1 + \exp\{-V / 10\}]$$

Non-inactivating delayed-rectifier potassium current

$$I_K(V, t) = \bar{g}_K n^2(V, t) (V - E_K)$$

$$dn(V, t)/dt = [n_\infty(V) - n(V, t)] / \tau_n(V) \quad (\text{activation variable})$$

$$n_\infty(V - 20) = \alpha_n(V - 20) / [\alpha_n(V - 20) + \beta_n(V - 20)]$$

$$\tau_n(V) = 1 / [\alpha_n(V) + \beta_n(V)]$$

$$\alpha_n(V) = [0.0047 (V + 12)] / [1 - \exp\{-(V + 12) / 12\}]$$

$$\beta_n(V) = \exp\{-(V + 147) / 30\}$$

M-type potassium current

$$I_M(V, t) = \bar{g}_M w(V, t) (V - E_M)$$

$$dw(V, t)/dt = [w_\infty(V) - w(V, t)] / \tau_w(V) \quad (\text{activation variable})$$

$$w_\infty(V) = 1 / [1 + \exp\{-(V + 35) / 10\}]$$

$$\tau_w(V) = 1000 / [3.3 [\exp\{(V + 35) / 40\} + \exp\{-(V + 35) / 20\}]]$$

Cyclic nucleotide-gated cation leak current

$$I_{CNG}(V) = g_{CNG} (V - E_{CNG})$$

Background leak current

$$I_{\text{leak}}(V) = g_{\text{leak}} (V - E_{\text{leak}})$$

REFERENCES

Schobesberger H, Wheeler DW, and Horn JP. A model for pleiotropic muscarinic potentiation of fast synaptic transmission. *J Neurophysiol* 83: 1912–1923, 2000.

Yamada WM, Koch C, and Adams PR. Multiple channels and calcium dynamics - Modeling bullfrog sympathetic ganglion cells. In: *Methods in neuronal modeling from synapses to networks*, edited by Koch C and Segev I. Cambridge: MIT Press, 1989, p. 97-133.